

# Slicing Unconditional Jumps with Unnecessary Control Dependencies

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**Abstract.** Program slicing is an analysis technique that has a wide range of applications, ranging from compilers to clone detection software, and that has been applied to practically all programming languages. Most program slicing techniques are based on a widely extended program representation, the System Dependence Graph (SDG). However, in the presence of unconditional jumps, there exist some situations where most SDG-based slicing techniques are not as accurate as possible, including more code than strictly necessary. In this paper, we identify one of these scenarios, pointing out the cause of the inaccuracy, and describing the initial solution to the problem proposed in the literature, together with an extension, which solves the problem completely. These solutions modify both the SDG generation and the slicing algorithm. Additionally, we propose an alternative solution, that solves the problem by modifying only the SDG generation, leaving the slicing algorithm untouched.

**Keywords:** Program analysis, Program slicing, Unconditional jumps

## 1 Introduction

Program slicing [20, 18] is a technique for program analysis and transformation whose main objective is to extract from a program the set of statements that affect a given set of variables in a specific statement, the so-called *slicing criterion*. The programs obtained with program slicing are called *slices*, and they are used in many areas such as debugging [1], program specialization [2], software maintenance [7], code obfuscation [13], etc.

There exist several algorithms and data structures to represent programs that can be used to compute slices, but the most efficient and broadly used data structure is the *System Dependence Graph* (SDG), introduced by Horwitz et al. [9]. It is computed from the program's source code, and once built, a slicing criterion is chosen and mapped on the graph, that is then traversed with the algorithm proposed in [9] to compute the corresponding slice.

39 The SDG is the result of assembling a set of graphs that represent informa-  
 40 tion about a program. Figure 1 depicts how the SDG is built using the Control  
 41 Flow Graph (CFG) as the starting graph. First, using the CFG of each function  
 42 definition in the code, two different graphs are built: (i) the Control Dependence  
 43 Graph (CDG) [6] and (ii) the Data Dependence Graph (DDG) [19, 6]. The union  
 44 of both graphs results in the Program Dependence Graph (PDG) [14, 6], which  
 45 represents all data and control dependencies inside a concrete function. Finally,  
 46 PDG’s function calls, definitions and their parameters are linked with interpro-  
 47 cedural arcs, generating the final SDG. The SDG can be traversed from a slicing  
 48 criterion to produce a slice in linear time with the algorithm proposed in [9].

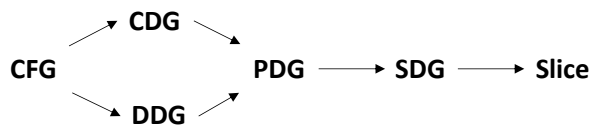


Fig. 1. Sequence of graphs generated to build the SDG.

49 As all the aforementioned graphs conforming the SDG represent different  
 50 relationships of the program, an improvement in the accuracy of these graphs  
 51 results in a direct impact on the accuracy of the SDG. Throughout the years, the  
 52 SDG has been augmented with different dependencies, and several techniques  
 53 have been defined to properly represent complex situations: interprocedural al-  
 54 ternatives to compute executable slices [4], extensions of the CFG to represent  
 55 interprocedural control dependencies [17], object-oriented language representa-  
 56 tions and slicing [12], or program slicing in concurrent environments [10, 5] are  
 57 some examples of the evolution of the SDG.

58 For the purpose of this paper, we are interested in the evolution of the un-  
 59 conditional control flow treatment for program slicing. In this specific area, the  
 60 initial proposal was the one introduced by Ball and Horwitz [3]. In their work,  
 61 the authors considered a simplified language with scalar variables and constants,  
 62 assignment statements, jump statements (`goto`, `break`, `halt`, etc.), conditional  
 63 statements (`if-then`, `if-then-else`), and loops (`while` and `repeat`). Despite  
 64 the simplicity of the given programming language, the ideas proposed can be  
 65 applied to any kind of unconditional jumps present in other programming lan-  
 66 guages. In this paper, we provide examples using the `break` statement in the  
 67 Java programming language, even though the problem presented and its solu-  
 68 tion can be applied to any statement that represents an unconditional jump.  
 69 The following example illustrates the problem identified by Ball and Horwitz  
 70 after their proposal.

71 *Example 1 (Unconditional jump subsumption [3]).* Consider the Java method  
 72 shown below on the left-hand side:

<pre> 1  public void f() { 2    while (X) { 3      if (Y) { 4        if (Z) { 5          A; 6          break; 7        } 8        B; 9        break; 10       } 11       C; 12     } 13     D; 14   } </pre>	<pre> 1  public void f() { 2    while (X) { 3      if (Y) { 4        if (Z) { 5          break; 6        } 7      } 8      break; 9    } 10   } 11   C; 12 } 13 } 14 } </pre>	<pre> 1  public void f() { 2    while (X) { 3      if (Y) { 4        break; 5      } 6    } 7  } 8  } 9  } 10 } 11 } 12 } 13 } 14 } </pre>
74    Original program	SDG slice	Minimal slice

75     This method contains a `while` statement, from which the execution may  
76     exit naturally or through any of the `break` statements. To represent the rest  
77     of statements and conditional expressions, uppercase letters are used; and, for  
78     simplicity, we can assume that there are no data dependencies between them.

79     Now consider statement `C` as the slicing criterion: each input that produces a  
80     computation in the original program that reaches `C` must produce a computation  
81     in the slice that also reaches `C`. Note that `C` is only executed when `X` is `true` and  
82     `Y` is `false`.

83     The code in the centre displays the computed slice by Ball and Horwitz’s  
84     approach; the code on the right-hand side is the minimal slice. As can be ob-  
85     served, the `break` in line 6 and its surrounding `if` statement (`if (Z)`) have been  
86     unnecessarily included in the slice, since the evaluation of `Z` does not influence  
87     the execution of a `break` after being the `Y` statement evaluated to `true`. Their  
88     inclusion would not be specially problematic, if it were not for the condition of  
89     the `if` statement (`Z`), which may include extra data dependencies that are un-  
90     necessary in the slice and that may lead to include other unnecessary statements,  
91     making the slice even more imprecise.

92     The rest of the paper is structured as follows: Section 2 illustrates the ratio-  
93     nale behind the problem shown in Example 1, detailing how dependencies are  
94     generated, identifying when the problem shows up, and describing the solution  
95     proposed by Kumar and Horwitz in [11], where the authors introduced changes  
96     in two steps of the process shown in Figure 1. Section 3 proposes an alternative  
97     solution that is simpler and does not need to change the slicing algorithm, low-  
98     ering the time complexity while preserving completeness at all times. Finally,  
99     Section 4 concludes the article outlining the main contributions.

## 100    2    Unconditional jumps and the PPDG

101    To keep the paper self-contained, we start with the definition of control flow  
102    graph.

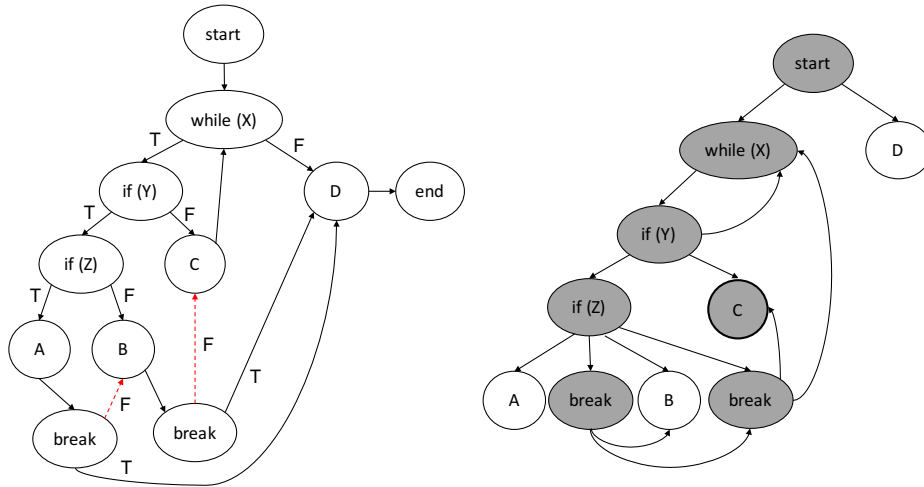
103    **Definition 1.** (*control flow graph*) Given a program  $P$ , the control flow graph  
104    of  $P$  is a graph  $(N, A)$  where  $N$  is a set of nodes that contains one node for

105 each statement in the program, and  $A$  are arcs that represent the execution flow  
 106 between the nodes:

107 **Statement node.** Any statement that is not a conditional jump. These nodes  
 108 have one outgoing edge pointing to the next statement of the program.

109 **Predicate node.** Any conditional jump statement, such as *if*, *while*, etc.  
 110 These nodes have two outgoing edges labelled true and false, leading to the  
 111 statements that would be executed regarding the condition evaluation.

112 The CFG of the **Original** program in Example 1 is shown in Figure 2 (left),  
 113 where  $N$  are all the nodes and  $A$  all the solid black arcs in the graph (we will  
 114 ignore the dashed red arcs for now, since they are not part of the CFG). In this  
 115 graph, all nodes with just one outgoing arc of  $A$  represent statements, while all  
 116 nodes with two outgoing arcs of  $A$  labeled with  $T$  or  $F$  represent predicates.



**Fig. 2.** ACFG (left) and CDG (right) of the code in Example 1.

117 The control flow graph is the basis to calculate control dependencies in a  
 118 program and, thus, the control dependence graph.

119 **Definition 2 (Control dependence).** Let  $G$  be a CFG. Let  $X$  and  $Y$  be nodes  
 120 in  $G$ . A node  $Y$  post-dominates a node  $X$  in  $G$  if every directed path from  $X$  to  
 121 the End node passes through  $Y$ . Node  $Y$  is control dependent on node  $X$  if and  
 122 only if  $Y$  post-dominates one but not all of  $X$ 's CFG successors.

123 **Definition 3 (Control dependence graph).** Given a program  $P$  and its as-  
 124 sociated CFG  $G_{CFG} = (N, A)$ , the Control Dependence Graph (CDG) of  $P$   
 125 is a graph  $G_{CDG} = (N, A')$  where  $(x, y) \in A'$  if and only if node  $y \in N$  is  
 126 control-dependent on node  $x \in N$ .

127 Unconditional jump statements distort the usual understanding of control  
 128 dependence, and they invalidate the standard representation of control depen-  
 129 dencies in the CDG. Example 2 shows that the standard definition of control  
 130 dependence is insufficient in presence of unconditional jumps.

131 *Example 2 (Control dependencies induced by unconditional jumps).* Consider the  
 132 following code on the left-hand side and the slicing criterion  $x$  in the last line.

<pre> 1  x = 0; 2  while (true) { 3    x++; 133 4    if (x&gt;10) 5      break; 6  } 7  print(x); </pre>	<pre> 1  x = 0; 2  while (true) { 3    x++; 4    if (x&gt;10) 5      break; 6  } 7  print(x); </pre>
Original program	Wrong slice

135 The slice of this code is the whole code (everything is needed to reach the  
 136 slicing criterion). Nevertheless, according to Definition 2, the `break` statement  
 137 in line 5 does not control any other statement, that is, no statement depends on  
 138 the `break` statement. Therefore, the (wrong) slice computed with the standard  
 139 definition of control dependence would be the code on the right. This is an infinite  
 140 loop that never reaches the slicing criterion. Clearly, the execution of `print(x)` is  
 141 in some way controlled by the execution of `break` and, thus, unconditional jumps  
 142 induce some kind of control dependencies that are not captured in Definition 2.

143 To deal with this problem (i.e. unconditional control flow statements), Ball  
 144 and Horwitz [3] proposed a modification of the CFG in presence of unconditional  
 145 control flow statements, which result in a CDG with augmented dependencies.  
 146 This approach is the most popular one and the one used in most of the subsequent  
 147 literature [15, 11, 16]. The main modification applied to the CFG consists in the  
 148 introduction of a third category of nodes in the definition of the CFG:

149 **Pseudo-predicates.** Unconditional jumps (i.e. `break`, `goto`, `return`<sup>1</sup>, etc.) are  
 150 treated like predicates, where the outgoing edge labelled *false* is marked  
 151 as non-executable—because there is no possible execution where such edge  
 152 would be possible, according to the definition of the CFG [8]. For uncondi-  
 153 tional jumps, the *true* edge leads to the statement at the jump destination,  
 154 and the *false* edge to the statement that would be executed if the jump was  
 155 skipped.

156 The graph obtained from adding the *false* arcs to the pseudo-predicate nodes  
 157 of a CFG is called the *Augmented CFG* (ACFG). As a consequence of the ap-  
 158 pearance of pseudo-predicate nodes, in an ACFG every statement between an  
 159 unconditional jump and its destination is control-dependent on it (see Defini-  
 160 tion 2), as can be seen in Example 3.

<sup>1</sup> The target of a `return` statement is the exit of the procedure it's in, from which control will be handed back to the previous procedure in the call stack.

161 *Example 3 (Control dependencies generated by unconditional jumps).* Consider  
162 again the ACFG in Figure 2 (left), which represents the code in Example 1. Here,  
163 solid arrows represent edges that come out from statements, predicates, and *true*  
164 pseudo-predicate branches; and dashed red arrows represent the non-executable  
165 (*false*) branches of pseudo-predicates. When we transform this ACFG to a CDG,  
166 we obtain the CDG in Figure 2 (right), where the slice with respect to variable  
167 C is represented with grey nodes.

168 Even though Ball and Horwitz solved the exposed problem with the defini-  
169 tion of the ACFG, there was still a problem they were not able to solve. This  
170 problem is represented in the code of Example 1. It appears when there are two  
171 different unconditional jumps with the same jump destination. Due to the *false*  
172 pseudo-predicate arcs in the ACFG, all the statements between the first uncon-  
173 ditional jump and the second one become directly control-dependent on the first  
174 jump, including the second one. Similarly, all the statements located between the  
175 second jump and the destination statement become directly control-dependent  
176 on the second jump. As a result of the transitive dependence, when any state-  
177 ment between the second jump and the destination statement is required, the  
178 inclusion of both unconditional jump statements in the slice is unavoidable. The  
179 inclusion of the first jump statement will increase the size of the slice with all  
180 its dependencies, leading to an imprecise slice. The solution proposed in [3] is  
181 complete, but not as accurate as it was expected to be.

182 Ball and Horwitz were aware of the aforementioned problem and, some years  
183 later, Kumar and Horwitz proposed a solution in [11]. Their solution was based  
184 on two main modifications:

- 185 1. **A new definition of control dependence in the presence of pseudo-**  
186 **predicates.** “Node  $Y$  is control-dependent on node  $X$  if and only if  $Y$  post-  
187 dominates, in the CFG, one but not all of  $X$ ’s ACFG successors”. The re-  
188 sulting graph was called the pseudo-predicate PDG (PPDG).
- 189 2. **A new slicing algorithm.** The new algorithm established some restrictions  
190 in the slicing traversal. “To compute the slice from node  $S$ , include  $S$  itself and  
191 all of its data and control-dependence predecessors in the slice. Then follow  
192 backwards all data-dependence edges, and all control-dependence edges whose  
193 targets are not pseudo-predicates; add each node reached during this traversal  
194 to the slice.”

195 By the introduction of these novelties, the accuracy of the slice was improved,  
196 since it is not possible to add in the slice two pseudo-predicate nodes that jump  
197 to the same destination unless one of them is the slicing criterion itself. This  
198 approach solved the problem of Example 1, proposed in [3].

### 199 3 Alternative solution: unnecessary control dependencies

200 In this section, we propose an alternative solution to the unconditional jump  
201 problem shown in the previous section. The key idea of our approach is to identify

202 which edges of the CDG are responsible for the inaccurate slices and define a  
203 method to avoid building them in the graph generation process.

204 To properly reason about the accuracy of our approach, we provide a formal  
205 definition of slicing criterion and slice.

206 **Definition 4 (Slicing criterion).** *Let  $P$  be a program. A slicing criterion  $C$*   
207 *of  $P$  is a tuple  $\langle s, v \rangle$  where  $s$  is a statement in  $P$  and  $v$  is a set of variables that*  
208 *are used or defined in  $s$ .*

209 **Definition 5 (CDG slice).** *Given a CDG  $G = (N, A)$  and a slicing criterion*  
210  *$\langle s, v \rangle$ , where  $n \in N$  represents  $s$  in  $G$ , a CDG slice of  $n$  is a subgraph  $G' =$*   
211  *$(N', A')$  such that:*

- 212 1.  $N' \subseteq N$ .
- 213 2.  $\forall n' \in N'$ ,  $n$  is control dependent on  $n'$  and  $n'$  is needed to execute  $n$ .
- 214 3.  $A' = \{(x, y) \in A \mid x, y \in N'\}$ .

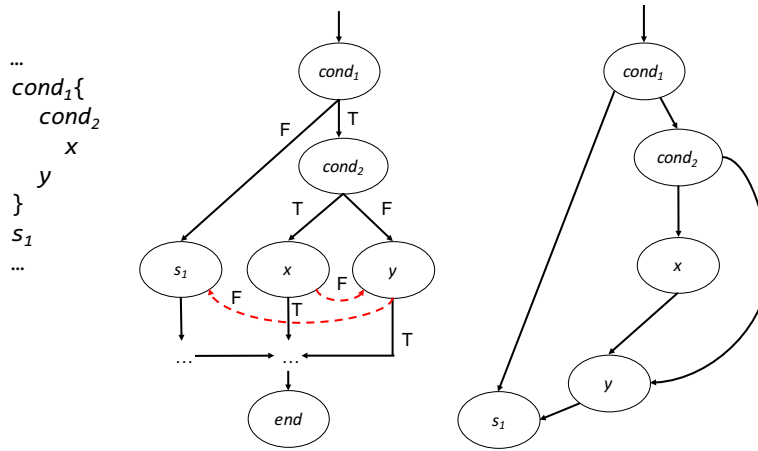
215 The standard slicing algorithm, denoted  $slice(G, C)$ , collects all nodes that  
216 are reachable from the node in  $G$  associated with the slicing criterion  $C$  traversing  
217 backwards the CDG arcs.

218 We have identified a general situation in which some control dependencies  
219 should be omitted. If those control dependencies are removed from the CDG,  
220 then the standard slicing algorithm is still complete and precision is kept the  
221 same or better. Consider a CDG  $G$  with two unconditional jump statements  $x$   
222 and  $y$  that jump to the same destination, with an arc  $(x, y)$  in  $G$ . There exists a  
223 CDG  $G'$  with the same set of nodes and a set of arcs obtained by deleting all the  
224 control arcs in  $G$  with  $y$  as target, that produces more accurate program slices.  
225 Formally,

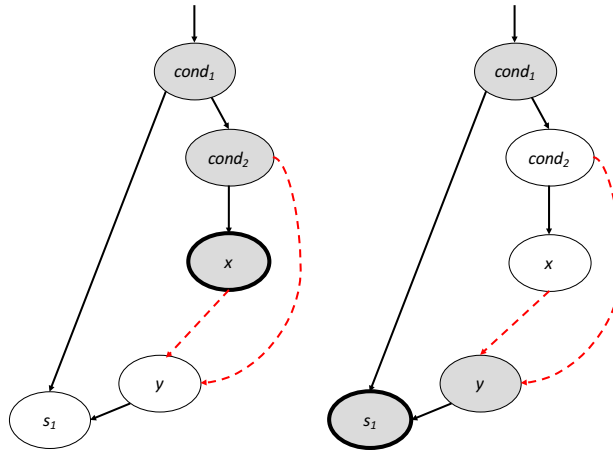
226 **Theorem 1.** *Let  $G = (N, A)$  be a CDG. Let  $x \in N$  be any unconditional jump*  
227 *statement. Let  $y \in N$  be an unconditional jump statement without any variable*  
228 *use or definition that jumps to the same destination as  $x$ . Let  $G' = (N, A')$  where*  
229  *$A' = (A \setminus \{(w, y) \mid w \in N\})$ . For all slicing criterion  $C$ ,  $slice(G', C)$  is a CDG*  
230 *slice.*

231 *Proof.* We prove the theorem by means of a generic code that captures all possi-  
232 ble scenarios that can happen under the conditions of the theorem. We consider  
233 two unconditional jump statements,  $x$  as the first jump statement and  $y$  as the  
234 second one. First,  $x$  and  $y$  cannot be sequential statements because in that case  
235  $y$  would be dead code. This forces us to enclose  $x$  inside a conditional structure.  
236 As  $y$  does not define or use any variable, we add the statement  $s_1$  and place an  
237 external conditional structure to also prevent it to be dead code. This generic  
238 code is depicted in Figure 3 (left). Any statement or groups of them added to  
239 this code before or after  $x$  or  $y$  would produce a similar topology that would not  
240 affect the proof. The reason is that any statement represented by a set of nodes  
241 has only one successor in the CFG and can never be the source of a control  
242 dependence (see Section 2.3 in [3]).

243 We graphically illustrate this proof by means of figures 3 and 4. Figure 3  
 244 represents the ACFG (centre) of the aforementioned code with the ACFG extra  
 245 arcs represented with dashed red arrows, and its associated CDG (right). Figure 4  
 246 represents the same CDG removing two control dependence arcs (dashed red  
 247 arcs). The figure represents two program slices with respect to two different  
 248 slicing criteria:  $x$  (left) and  $s_1$  (right).



**Fig. 3.** Piece of code (left), its ACFG (centre) and its associated CDG (right).



**Fig. 4.** CDG of our approach and CDG slices w.r.t.  $x$  (left) and  $s_1$  (right).



249 We distinguish two possible scenarios according to the slice computed by  
 250  $slice(G', n)$ :

- 251 (i)  $y \notin slice(G', n)$  (Figure 4 left). In this case, node  $y$  is not needed to exe-  
 252 cute  $n$  and, thus, the removal of the arcs that end in  $y$  do not affect the  
 253 computation of  $slice(G', n)$  because they are never traversed. Therefore,  
 254 all nodes needed to execute  $n$  belong to the slice (condition 1 in Defini-  
 255 tion 5) and also all arcs induced by them are kept in the slice (condition 2  
 256 in Definition 5). Hence,  $slice(G', n)$  is a CDG slice.
- 257 (ii)  $y \in slice(G', n)$  (Figure 4 right). First, according to Definition 4, node  
 258  $y$  cannot be selected as slicing criterion, as it does not define or use any  
 259 variables of the program according to the theorem conditions imposed on  
 260  $y$ . Then, because no data dependence exists on  $y$ , the only possibility to  
 261 include  $y$  in  $slice(G', n)$  is because some statement between  $y$  and the jump  
 262 destination of  $y$  is included in the slice ( $s_1$  in our graph in Figure 4 (right)).  
 263 Because of that, there is an execution path where  $y$  affects the execution  
 264 of this statement. In the case that  $cond_1$  was a loop,  $y$  would be control  
 265 dependent on  $cond_1$  itself, including  $cond_1$  in  $slice(G', n)$  but, in this case,  
 266 we would obtain the same result because  $s_1$  is also control dependent on  
 267  $cond_1$  and thus, included in  $slice(G', n)$ .

268 We have two possible scenarios to execute  $n$  (see the ACFG in Figure 3  
 269 (centre)):

- 270 –  $s_1$  is executed. Then,  $cond_1$  is *false* and  $cond_2$ ,  $x$ , and  $y$  are not executed  
 271 (they can be excluded from  $slice(G', n)$ ).
- 272 – Either  $x$  or  $y$  are executed. As the result of executing  $x$  and  $y$  is func-  
 273 tionally the same (the program execution continues at the destination  
 274 of  $y$ ), there is no difference between taking one path of  $cond_2$  or another.  
 275 Therefore,  $cond_2$ ,  $x$  and  $y$  can be replaced by  $y$  without modifying the  
 276 behaviour of the program; making the control dependency arcs from  
 277  $cond_2$  and  $x$  to  $y$  unnecessary.

278 In the three cases, the removal of the arcs that end in  $y$  ensure that the  
 279 two conditions in Definition 5 hold. Thus,  $slice(G', n)$  is a CDG slice.

280 Algorithm 1 formalizes the new CDG generation process, which removes the  
 281 unnecessary arcs. To perform that task, the algorithm uses an ACFG as the  
 282 starting point. The algorithm uses the following functions and sets:

- 283 –  $genControlArcs\setminus 1$ . It inputs an ACFG and outputs all control arcs that can  
 284 be obtained according to Definition 2.
- 285 –  $un\_jumps$ . This is a set with all nodes that represent an unconditional jump.
- 286 –  $jumpDest\setminus 1$ . This function inputs a CDG node  $n$  that represents an uncon-  
 287 ditional jump statement and outputs the destination of the jump.

288 Algorithm 1 first generates all control dependencies in the ACFG. Then,  
 289 each control dependency  $n \rightarrow n'$  is inspected to determine whether both  $n$  and  
 290  $n'$  are unconditional jumps with the same destination. If this is the case, then  
 291 all control arcs that target node  $n'$  are removed. This forms the set  $A'$ . Finally,

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**Algorithm 1** CDG Generation Algorithm

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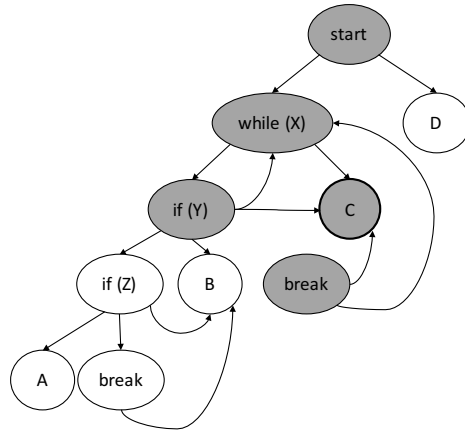
**Input:** An ACFG  $G = (N, A)$ .

**Output:** A CDG  $G' = (N', A_c)$ .

- 1:  $A_c = \text{genControlArcs}(G)$
  - 2: **for all**  $(n_s, n_e) \in A_c$  **do**
  - 3:   **if**  $(n_s, n_e \in \text{un\_jumps} \wedge \text{jumpDest}(n_s) == \text{jumpDest}(n_e))$  **then**
  - 4:      $A_c = A_c \setminus (x, n_e) \forall x \in N$
  - 5:   **end if**
  - 6: **end for**
  - 7:  $N' = N \setminus \{\text{End}\}$
  - 8:  $G' = (N', A_c)$
- 

292  $N'$  is calculated by removing the *End* node from  $N$  and the CDG  $G' = (N', A')$   
293 is obtained.

294 With this generation process, the CDG produced is more accurate than the  
295 one produced by Ball and Horwitz. For instance, the CDG associated to the  
296 *Original program* in Example 1 is shown in Figure 5. The CDG slice associated to  
297 the slicing criterion  $C$  is shown in grey, and it corresponds to the *Minimal slice*  
298 in Example 1. As can be seen, nodes **break** and **if (Z)** are no longer part of the slice.  
299 The structure of this graph represents now a more realistic control dependence,  
300 where unconditional jumps to common destinations are not dependent on each  
301 other.



**Fig. 5.** CDG obtained by applying Algorithm 1 to the code in Example 1.

302 It is worth remarking the main difference between the solution presented  
303 in [11] and our approach: the amount of steps of the slicing process that are  
304 modified. Both approaches introduce a modification in the CDG generation pro-  
305 cess. While the amount of arcs generated by Kumar and Horwitz may be lower

306 or greater than the amount of arcs generated in the initial proposal ([3]), the  
307 amount of arcs generated in our approach is always equal or lower than in the ini-  
308 tial proposal. In addition, the approach by Kumar and Horwitz needs to change  
309 the standard SDG-traversal algorithm, introducing an overhead when calculat-  
310 ing slices. On the contrary, in our approach the SDG-traversal algorithm remains  
311 untouched, keeping the slicing process as a graph reachability problem and en-  
312 suring the slicing cost proposed by Ottenstein and Ottenstein in [14].

## 313 4 Conclusions

314 Ball and Horwitz proposed the first program slicing technique with a specific  
315 treatment for unconditional jumps. Even though their technique produces com-  
316 plete slices in all cases, they were aware that accuracy could be improved, and  
317 they proposed a challenging example (analogous to Example 1) where the com-  
318 puted slice was bigger than needed. Some years later, Kumar and Horwitz solved  
319 this accuracy problem changing the definition of control dependencies and re-  
320 defining the standard slicing algorithm.

321 In this paper, we propose an alternative approach that solves the problem  
322 performing fewer changes to the standard approach. Our approach only needs to  
323 change the CDG produced, and all the other phases of program slicing (including  
324 SDG traversal) remain unchanged. We have theoretically proven the correctness  
325 of our approach.

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## 330 References

- 331 1. C. ai Sun, Y. Ran, C. Zheng, H. Liu, D. Towey, and X. Zhang. Fault localisation  
332 for WS-BPEL programs based on predicate switching and program slicing. *Journal*  
333 *of Systems and Software*, 135:191 – 204, 2018.
- 334 2. M. Aung, S. Horwitz, R. Joiner, and T. Reps. Specialization slicing. *ACM Trans.*  
335 *Program. Lang. Syst.*, 36(2):5:1–5:67, June 2014.
- 336 3. T. Ball and S. Horwitz. Slicing programs with arbitrary control-flow. In *Proceedings*  
337 *of the First International Workshop on Automated and Algorithmic Debugging*,  
338 *AADEBUG '93*, pages 206–222, London, UK, UK, 1993. Springer-Verlag.
- 339 4. D. Binkley. Precise executable interprocedural slices. *ACM Letters on Program-*  
340 *ming Languages and Systems*, 2(1-4):31–45, March 1993.
- 341 5. Z. Chen and B. Xu. Slicing concurrent java programs. *SIGPLAN Not.*, 36(4):41–47,  
342 Apr. 2001.
- 343 6. J. Ferrante, K. J. Ottenstein, and J. D. Warren. The program dependence graph  
344 and its use in optimization. *ACM Transactions on Programming Languages and*  
345 *Systems*, 9(3):319–349, 1987.

- 346 7. A. Hajnal and I. Forgács. A demand-driven approach to slicing legacy COBOL  
347 systems. *Journal of Software Maintenance*, 24(1):67–82, 2012.
- 348 8. S. Horwitz, T. Reps, and D. Binkley. Interprocedural slicing using dependence  
349 graphs. In *Proceedings of the ACM SIGPLAN 1988 Conference on Programming*  
350 *Language Design and Implementation*, PLDI '88, pages 35–46, New York, NY,  
351 USA, 1988. ACM.
- 352 9. S. Horwitz, T. Reps, and D. Binkley. Interprocedural slicing using dependence  
353 graphs. *ACM Transactions Programming Languages and Systems*, 12(1):26–60,  
354 1990.
- 355 10. J. Krinke. Static slicing of threaded programs. *SIGPLAN Not.*, 33(7):35–42, July  
356 1998.
- 357 11. S. Kumar and S. Horwitz. Better slicing of programs with jumps and switches.  
358 In *Proceedings of the 5th International Conference on Fundamental Approaches to*  
359 *Software Engineering (FASE 2002)*, volume 2306 of *Lecture Notes in Computer*  
360 *Science (LNCS)*, pages 96–112. Springer, 2002.
- 361 12. L. Larsen and M. J. Harrold. Slicing object-oriented software. In *Proceedings of the*  
362 *18th international conference on Software engineering*, ICSE '96, pages 495–505,  
363 Washington, DC, USA, 1996. IEEE Computer Society.
- 364 13. A. Majumdar, S. J. Drape, and C. D. Thomborson. Slicing obfuscations: Design,  
365 correctness, and evaluation. In *Proceedings of the 2007 ACM Workshop on Digital*  
366 *Rights Management*, DRM '07, pages 70–81, New York, NY, USA, 2007. ACM.
- 367 14. K. J. Ottenstein and L. M. Ottenstein. The program dependence graph in a soft-  
368 ware development environment. *SIGSOFT Software Engineering Notes*, 9(3):177–  
369 184, 1984.
- 370 15. T. Reps, S. Horwitz, M. Sagiv, and G. Rosay. Speeding up slicing. *SIGSOFT*  
371 *Softw. Eng. Notes*, 19(5):11–20, December 1994.
- 372 16. T. Reps and G. Rosay. Precise interprocedural chopping. In *Proceedings of the*  
373 *3rd ACM SIGSOFT Symposium on Foundations of Software Engineering*, pages  
374 41–52, New York, NY, USA, 1995. Association for Computing Machinery.
- 375 17. S. Sinha, M. J. Harrold, and G. Rothermel. System-dependence-graph-based slicing  
376 of programs with arbitrary interprocedural control flow. In *Proceedings of the 1999*  
377 *International Conference on Software Engineering (IEEE Cat. No.99CB37002)*,  
378 pages 432–441. IEEE, May 1999.
- 379 18. F. Tip. A survey of Program Slicing techniques. *Journal of Programming Lan-*  
380 *guages*, 3(3):121–189, 1995.
- 381 19. R. A. Towle. *Control and Data Dependence for Program Transformations*. PhD  
382 thesis, USA, 1976. AAI7624191.
- 383 20. M. Weiser. Program Slicing. In *Proceedings of the 5th international conference*  
384 *on Software engineering (ICSE '81)*, pages 439–449, Piscataway, NJ, USA, 1981.  
385 IEEE Press.